

```

In[ ]:= v1 = 334;
G = 6.75 * Power[10, -11];
M = 5.965 * Power[10, 24];
w = 2 * Pi / 24 / 3600;
R = 6371000;
time = 70;
latitude = Pi / 6;
eqns = {z''[t] == -z[t] * G * M / (z[t]^2 + y[t]^2)^(3/2),
        y''[t] == -y[t] * G * M / (z[t]^2 + y[t]^2)^(3/2), z[0] == 0,
        y[0] == R, z'[0] == w * R * Cos[latitude], y'[0] == 334}

```

$$\text{Out[]} = \left\{ z''[t] = -\frac{4.02638 \times 10^{14} z[t]}{(y[t]^2 + z[t]^2)^{3/2}}, y''[t] = -\frac{4.02638 \times 10^{14} y[t]}{(y[t]^2 + z[t]^2)^{3/2}}, \right. \\
 \left. z[0] = 0, y[0] = 6371000, z'[0] = \frac{31855 \pi}{144 \sqrt{3}}, y'[0] = 334 \right\}$$

```

In[ ]:= s = NDSolve[eqns, {y[t], z[t]}, {t, 0, time}]

```

```

Out[ ]:= { {y[t] -> InterpolatingFunction[
  Domain: {{0., 70.}}
  Output: scalar
] [t],
  z[t] -> InterpolatingFunction[
  Domain: {{0., 70.}}
  Output: scalar
] [t]} }

```

```

In[ ]:= ss = N[DSolve[eqns, {z, y}, {t, 0, 70}]]

```

```

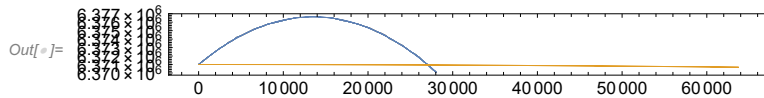
Out[ ]:= { {z -> InterpolatingFunction[
  Domain: {{0., 70.}}
  Output: scalar
],
  y -> InterpolatingFunction[
  Domain: {{0., 70.}}
  Output: scalar
]} }

```

```

In[ ]:= ParametricPlot[Evaluate[{z[t], y[t]} /. s], {R * Cos[u], R * Sin[u]},
  {t, 0, time}, {u, Pi/2 - 0.01, Pi/2}]

```



In[]:= $f[x_] = \text{Sqrt}[\text{Evaluate}[z[t] /. s]^2 + \text{Evaluate}[y[t] /. s]^2] - R;$
[...] [计算] [计算]

In[]:= $\text{Plot}[f[t], \{t, 67, \text{time}\}]$
[绘图]

In[]:= $\text{Plot}[f[t], \{t, 0, \text{time}\}, \text{PlotPoints} \rightarrow 75, \text{MaxRecursion} \rightarrow 5]$
[绘图] [绘图点] [最大递归]

In[]:= $\text{NSolve}[f[t] == 0 \&\& t > 0 \&\& t < 100, t, \text{Reals}]$
[数值求解] [实数域]

In[]:= $y[67.65] /. s$

In[]:= $t := 67.65;$
 $\text{bbb} := \text{Evaluate}[z[t] /. s];$
[计算]
 $\text{ccc} := \text{Evaluate}[y[t] /. s];$
[计算]
 $(\text{Pi}/2 - \text{ArcTan}[\text{bbb}, \text{ccc}]) / w$
[圆周率] [反正切]

Out[]:= {67.5701}

In[]:= $g[t_] := \text{Sqrt}[(\text{Evaluate}[z[t] /. s] - R * \text{Cos}[\text{Pi}/2 - w * t]) * 2 +$
[平方根] [计算] [余弦] [圆周率]
 $(\text{Evaluate}[y[t] /. s] - R * \text{Sin}[\text{Pi}/2 - w * t]) * 2];$
[计算] [正弦] [圆周率]

In[]:= $\text{Plot}[g[t], \{t, 50, 60\}]$
[绘图]

